「プラズモニクス—基礎と応用」第３刷正誤表（2011 年 6 月 30 日発行）

頁	該当箇所	誤	正
21	式(3.75)	$\begin{bmatrix} 1 & 1 \\ \alpha_{l+1} & -\alpha_{l+1} \end{bmatrix}\begin{bmatrix} H_{l+1}^{+} \\ H_{l+1}^{-} \end{bmatrix}=\begin{bmatrix} 1 & 1 \\ \alpha_{l} & -\alpha_{l} \end{bmatrix}\begin{bmatrix} \exp(ik_{zl}h_l) & 1 \\ 1 & \exp(-ik_{zl}h_l) \end{bmatrix}\begin{bmatrix} H_{l}^{+} \\ H_{l}^{-} \end{bmatrix}$	$\begin{bmatrix} 1 & 1 \\ \alpha_{l+1} & -\alpha_{l+1} \end{bmatrix}\begin{bmatrix} H_{l+1}^{+} \\ H_{l+1}^{-} \end{bmatrix}=\begin{bmatrix} 1 & 1 \\ \alpha_{l} & -\alpha_{l} \end{bmatrix}\begin{bmatrix} \exp(ik_{zl}h_l) & 0 \\ 0 & \exp(-ik_{zl}h_l) \end{bmatrix}\begin{bmatrix} H_{l}^{+} \\ H_{l}^{-} \end{bmatrix}$
22	式(3.77)	$\mathrm{M}_l=\begin{bmatrix} 1 & 1 \\ \alpha_{l+1} & -\alpha_{l+1} \end{bmatrix}^{-1}\begin{bmatrix} 1 & 1 \\ \alpha_{l} & -\alpha_{l} \end{bmatrix}\begin{bmatrix} \exp(ik_{zl}h_l) & 1 \\ 1 & \exp(-ik_{zl}h_l) \end{bmatrix}$	$\mathrm{M}_l=\begin{bmatrix} 1 & 1 \\ \alpha_{l+1} & -\alpha_{l+1} \end{bmatrix}^{-1}\begin{bmatrix} 1 & 1 \\ \alpha_{l} & -\alpha_{l} \end{bmatrix}\begin{bmatrix} \exp(ik_{zl}h_l) & 0 \\ 0 & \exp(-ik_{zl}h_l) \end{bmatrix}$
	式(3.81)	$t=\dfrac{H_0^{+}}{H_L^{-}}=\dfrac{1}{m_{22}}$	$t=\dfrac{H_0^{-}}{H_L^{-}}=\dfrac{1}{m_{22}}$
54	式(5.56) 式(5.57)	$\varepsilon_1 k_{z2}+\varepsilon_2 k_{z1}\tanh(k_{z1}h_2/2i)=0$ (5.56) $\varepsilon_1 k_{z2}+\varepsilon_2 k_{z1}\coth(k_{z1}h_2/2i)=0$ (5.57)	$\varepsilon_1 k_{z2}+\varepsilon_2 k_{z1}\coth(k_{z1}h_2/2i)=0$ (5.56) $\varepsilon_1 k_{z2}+\varepsilon_2 k_{z1}\tanh(k_{z1}h_2/2i)=0$ (5.57) ※式(5.56)と(5.57)が逆
66	式(6.17)	$\mathrm{d}Q=2\pi nez\cos\theta\sin\theta\mathrm{d}\theta$	$\mathrm{d}Q=2\pi nea^2 z\cos\theta\sin\theta\mathrm{d}\theta$
73	式(6.51)	$W=\dfrac{\omega^4\varepsilon_2}{12\pi c^3}\alpha^2 E_0{}^2=\dfrac{\omega k^3\varepsilon_2}{12\pi}\alpha^2 E_0{}^2$	$W=\dfrac{\omega^4\varepsilon_2}{12\pi c^3}\lvert\alpha\rvert^2 E_0{}^2=\dfrac{\omega k^3\varepsilon_2}{12\pi}\lvert\alpha\rvert^2 E_0{}^2$
	式(6.53)	$C_{\mathrm{sca}}=\dfrac{W}{S_0}=\dfrac{k^4}{6\pi}\lvert\alpha^2\rvert$	$C_{\mathrm{sca}}=\dfrac{W}{S_0}=\dfrac{k^4}{6\pi}\lvert\alpha\rvert^2$
	式(6.55)	$\alpha=4\pi r_1{}^3\dfrac{(\varepsilon_1'-\varepsilon_2)(\varepsilon_1'+2\varepsilon_2)+(\varepsilon_1'')^2+i3\varepsilon_1''\varepsilon_2}{(\varepsilon_1'+2\varepsilon_2)+(\varepsilon_1'')^2}$	$\alpha=4\pi r_1{}^3\dfrac{(\varepsilon_1'-\varepsilon_2)(\varepsilon_1'+2\varepsilon_2)+(\varepsilon_1'')^2+i3\varepsilon_1''\varepsilon_2}{(\varepsilon_1'+2\varepsilon_2)^2+(\varepsilon_1'')^2}$
	式(6.56)	$C_{\mathrm{abs}}=k\dfrac{12\pi r_1{}^3\varepsilon_1''\varepsilon_2}{(\varepsilon_1'+2\varepsilon_2)+(\varepsilon_1'')^2}$	$C_{\mathrm{abs}}=k\dfrac{12\pi r_1{}^3\varepsilon_1''\varepsilon_2}{(\varepsilon_1'+2\varepsilon_2)^2+(\varepsilon_1'')^2}$
	式(6.56)の 1 行下	$k=2\pi\varepsilon_2{}^{1/2}\lambda$	$k=2\pi\varepsilon_2{}^{1/2}/\lambda$

74	式(6.59)	$C(r)=C_\theta(r)+C_r(r)=\dfrac{\alpha^2}{6\pi}\left(\dfrac{3}{r^4}+\dfrac{k^2}{r^2}+k^4\right)$	$C(r)=C_\theta(r)+C_r(r)=\dfrac{\lvert\alpha\rvert^2}{6\pi}\left(\dfrac{3}{r^4}+\dfrac{k^2}{r^2}+k^4\right)$
74	式(6.60)	$C_\theta(r)=\dfrac{\alpha^2}{6\pi}\left(\dfrac{1}{r^4}-\dfrac{k^2}{r^2}+k^4\right)$	$C_\theta(r)=\dfrac{\lvert\alpha\rvert^2}{6\pi}\left(\dfrac{1}{r^4}-\dfrac{k^2}{r^2}+k^4\right)$
	式(6.61)	$C_r(r)=\dfrac{\alpha^2}{6\pi}\left(\dfrac{2}{r^4}+\dfrac{2k^2}{r^2}\right)$	$C_r(r)=\dfrac{\lvert\alpha\rvert^2}{6\pi}\left(\dfrac{2}{r^4}+\dfrac{2k^2}{r^2}\right)$
	式(6.62)	$C_{\mathrm{nf}}=C(r_1)=\dfrac{\alpha^2}{6\pi}\left(\dfrac{3}{r_1^4}+\dfrac{k^2}{r_1^2}+k^4\right)$	$C_{\mathrm{nf}}=C(r_1)=\dfrac{\lvert\alpha\rvert^2}{6\pi}\left(\dfrac{3}{r_1^4}+\dfrac{k^2}{r_1^2}+k^4\right)$
82	式(6.104)	$\xi_0=\dfrac{c}{(a^2-c^2)^{1/2}}$	$\xi_0=\dfrac{b}{(a^2-b^2)^{1/2}}$
84	式(6.116)	$\omega=\dfrac{\omega_{\mathrm{p}}}{\sqrt{2}}\left[1\pm\sqrt{1+8\left(\dfrac{r_2}{r_1}\right)^3}\right]^{1/2}$	$\omega=\dfrac{\omega_{\mathrm{p}}}{\sqrt{6}}\left[3\pm\sqrt{1+8\left(\dfrac{r_2}{r_1}\right)^3}\right]^{1/2}$
109	式(7.5)の 1 行下	$\exp(ikx)$	$\exp(-ikx)$
	式(7.6)の 1 行下	$\exp[i(k-K)x]$	$\exp[-i(k-K)x]$
110	式(7.9)の 1 行上	$k^2=\omega^2\varepsilon_0/c^2$	$k^2=\omega^2\varepsilon_1/c^2$
	式(7.9)	$\begin{bmatrix}\dfrac{\omega^2}{c^2}\varepsilon_1-k^2 & \dfrac{\varepsilon_2}{\varepsilon_0}\dfrac{k^2}{2}\\ \dfrac{\varepsilon_2}{\varepsilon_1}\dfrac{k^2}{2} & \dfrac{\omega^2}{c^2}\varepsilon_1-(k-K)^2\end{bmatrix}\begin{bmatrix}E_0\\E_{-1}\end{bmatrix}=0$	$\begin{bmatrix}\dfrac{\omega^2}{c^2}\varepsilon_1-k^2 & \dfrac{\varepsilon_2}{\varepsilon_1}\dfrac{k^2}{2}\\ \dfrac{\varepsilon_2}{\varepsilon_1}\dfrac{k^2}{2} & \dfrac{\omega^2}{c^2}\varepsilon_1-(k-K)^2\end{bmatrix}\begin{bmatrix}E_0\\E_{-1}\end{bmatrix}=0$

137	式(8.35)	$\boldsymbol{D}^{m}=\varepsilon_0\varepsilon\boldsymbol{E}^{n-1}+\varepsilon_0\sum_{m=0}^{n-2}\boldsymbol{E}^{n-1-m}\chi^{m}$	$\boldsymbol{D}^{n-1}=\varepsilon_0\varepsilon_\infty\boldsymbol{E}^{n-1}+\varepsilon_0\sum_{m=0}^{n-2}\boldsymbol{E}^{n-1-m}\chi^{m}$
	式(8.36)	$\boldsymbol{D}^{m}-\boldsymbol{D}^{m-1}=\varepsilon_0\left(\varepsilon_\infty+\chi^0\right)\boldsymbol{E}^{n}-\varepsilon_0\varepsilon\boldsymbol{E}^{n-1}-\varepsilon_0\sum_{m=0}^{n-2}\boldsymbol{E}^{n-1-m}\Delta\chi^{m}$	$\boldsymbol{D}^{n}-\boldsymbol{D}^{n-1}=\varepsilon_0\left(\varepsilon_\infty+\chi^0\right)\boldsymbol{E}^{n}-\varepsilon_0\varepsilon_\infty\boldsymbol{E}^{n-1}-\varepsilon_0\sum_{m=0}^{n-2}\boldsymbol{E}^{n-1-m}\Delta\chi^{m}$
138	式(8.44)	$\chi^{m}=\int_{m\Delta t}^{(m+1)\Delta t}\chi(\tau)\mathrm{d}\tau$ $=\int_{m\Delta t}^{(m+1)\Delta t}\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left[1-\exp\left(-\Gamma t\right)\right]U(t)\mathrm{d}\tau$ $=\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left[\tau+\frac{1}{\Gamma}\exp\left(-\Gamma t\right)\right]_{m\Delta t}^{(m+1)\Delta t}$ $=\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left\{\Delta t-\frac{1}{\Gamma}\exp\left(-\Gamma m\Delta t\right)\left[1-\exp\left(-\Gamma t\right)\right]\right\}$	$\chi^{m}=\int_{m\Delta t}^{(m+1)\Delta t}\chi(\tau)\mathrm{d}\tau$ $=\int_{m\Delta t}^{(m+1)\Delta t}\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left[1-\exp\left(-\Gamma\tau\right)\right]U(\tau)\mathrm{d}\tau$ $=\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left[\tau+\frac{1}{\Gamma}\exp\left(-\Gamma\tau\right)\right]_{m\Delta t}^{(m+1)\Delta t}$ $=\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left\{\Delta t-\frac{1}{\Gamma}\exp\left(-\Gamma m\Delta t\right)\left[1-\exp\left(-\Gamma\Delta t\right)\right]\right\}$
139	式(8.45)	$\Delta\chi^{m+1}=\chi^{m+1}-\chi^{m}$ $=\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left\{\Delta t-\frac{1}{\Gamma}\exp\left[1-\Gamma\left(m+1\right)\Delta t\right]\left[1-\exp\left(-\Gamma t\right)\right]\right\}-\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left\{\Delta t-\frac{1}{\Gamma}\exp\left(-\Gamma m\Delta t\right)\left[1-\exp\left(-\Gamma t\right)\right]\right\}$ $=-\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left[1-\exp\left(-\Gamma t\right)\right]^2\exp\left(-\Gamma m\Delta t\right)$	$\Delta\chi^{m+1}=\chi^{m}-\chi^{m+1}$ $=\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left\{\Delta t-\frac{1}{\Gamma}\exp\left(-\Gamma m\Delta t\right)\left[1-\exp\left(-\Gamma t\right)\right]\right\}-\frac{\omega_\mathrm{p}{}^2}{\Gamma}\left\{\Delta t-\frac{1}{\Gamma}\exp\left[1-\Gamma\left(m+1\right)\Delta t\right]\left[1-\exp\left(-\Gamma t\right)\right]\right\}$ $=-\frac{\omega_\mathrm{p}{}^2}{\Gamma^2}\left[1-\exp\left(-\Gamma\Delta t\right)\right]^2\exp\left(-\Gamma m\Delta t\right)$
259	下から5行目	`Re[an[l, lambda, a] + 12.5 ptbn[l, lambda, a]], {l, 1, lmax [lambda, a]}];`	`Re[an[l, lambda, a] + bn[l, lambda, a]], {l, 1, lmax[lambda, a]}];`

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